# $8^{\text {th }}$ Grade Unit 2: Modeling Linear Relationships and Functions <br>  

In this unit, students will analyze the connections between proportional and nonproportional lines and equations and relate their graphs to their solution sets in the coordinate plane. Students will be able to identify whether functions are linear or nonlinear through functional and graphical reasoning, and interpret, write, graph, and solve linear functions in different forms.

## Learning Targets:

In Unit 2, students will:

- Use the proportional equation $y=m x$ for a line through the origin to derive the non-proportional equation $y=m x+b$ for $a$ line intersecting the vertical axis at $b$
- Show and explain that the graph of an equation representing an applicable situation in two variable is the set of all its solutions plotted in the coordinate plane
- Show and explain that a function is a rule that assign each input exactly one output
- Identify, describe, and graph functions that are linear or nonlinear and their qualitative features
- Relate the domain of a linear function to its graph and the quantitative relationship it describes
- Compare properties (rate of change and initial value) of two functions used to model an authentic situation each represented in a different way (algebraically, graphically, verbal descriptions, etc.)
- Write and explain the equation $y=m x+b$ (slope-intercept form), $A x+B y=C$ (standard form), and $\left(y-y_{1}\right)=m\left(x-x_{1}\right)$ (point-slope form) as defining a straight line linear function to explain features of the function
- Write a linear function in different but equivalent forms to reveal and explain different properties of the function
- Construct a function to model a linear relationship between two quantities
- Determine the rate of change and initial value of a function from a description of a relationship or from two ( $x, y$ ) values, including reading these from a table or from a graph
- Explain the meaning of the rate of change and initial value of a linear function in terms of the situation it models and in terms of its graph or a table of values
- Graph and analyze linear functions expressed in various algebraic forms and show key characteristics of the graph to describe applicable situations

Key Vocabulary: (linked to GA DOE Interactive Glossary)

Constant of Proportionality Initial Value
Non-Proportional Relationship
Range
Standard Form

Domain<br>Key Characteristics of a Function Point-Slope Form<br>Rate of Change<br>Vertical Axis

Function Linear Relationship Proportional Relationship Slope X-Intercept

Horizontal Axis Non-Linear Relationship Properties of a Function Slope-Intercept Form Y-Intercept

## Supporting Resources:

http://ctlslearn.cobbkl2.org/
https://gavirtual.instructure.com/courses/34331

Different Forms of Linear Equations Finding Rate of Change From Two Points

